

Package ‘LZeroSpikeInference’

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Type Package

Title Exact Spike Train Inference via L0 Optimization

Version 1.0.3

Description

An implementation of algorithms described in Jewell and Witten (2017) <[arXiv:1703.08644](#)>.

License GPL-3

Encoding UTF-8

LazyData true

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Suggests testthat

Imports graphics, stats

NeedsCompilation no

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cv.estimateSpikes *Cross-validate and optimize model parameters*

Description

Cross-validate and optimize model parameters

Usage

```
cv.estimateSpikes(dat, type = "ar1", gam = NULL, lambdas = NULL,
  nLambdas = 10, hardThreshold = TRUE)
```

Arguments

dat	fluorescence trace (a vector)
type	type of model, must be one of AR(1) 'ar1', or AR(1) with intercept 'intercept'
gam	a scalar value for the AR(1)/AR(1) + intercept decay parameter
lambdas	vector of tuning parameters to use in cross-validation
nLambdas	number of tuning parameters to estimate the model (grid of values is automatically produced)
hardThreshold	boolean specifying whether the calcium concentration must be non-negative (in the AR-1 problem)

Details

We perform cross-validation over a one-dimensional grid of λ values. For each value of λ in this grid, we solve the corresponding optimization problem, that is, one of

AR(1)-model: minimize c_1, \dots, c_T $0.5 \sum_{t=1}^T (y_t - c_t)^2 + \lambda \sum_{t=2}^T 1_{c_t \neq \gamma} c_{t-1}$ for the global optimum, where y_t is the observed fluorescence at the t th timepoint.

If `hardThreshold = T` then the additional constraint $c_t \geq 0$ is added to the optimization problem above.

AR(1) with intercept: minimize $c_1, \dots, c_T, b_1, \dots, b_T$ $0.5 \sum_{t=1}^T (y_t - c_t - b_t)^2 + \lambda \sum_{t=2}^T 1_{c_t \neq \gamma} c_{t-1}, b_t \neq b_{t-1}$ where the indicator variable $1_{(A,B)}$ equals 1 if the event $A \cup B$ holds, and equals zero otherwise.

on a training set using a candidate value for γ . Given the resulting set of changepoints, we solve a constrained optimization problem for γ . We then refit the optimization problem with the optimized value of γ , and then evaluate the mean squared error (MSE) on a hold-out set. Note that in the final output of the algorithm, we take the square root of the optimal value of γ in order to address the fact that the cross-validation scheme makes use of training and test sets consisting of alternately-spaced timesteps.

If there is a tuning parameter λ in the path $[\lambda_{\text{Min}}, \lambda_{\text{Max}}]$ that produces a fit with less than 1 spike per 10,000 timesteps the path is truncated to $[\lambda_{\text{Min}}, \lambda]$ and a warning is produced.

See Algorithm 3 of Jewell and Witten (2017) <arXiv:1703.08644>

Value

A list of values corresponding to the 2-fold cross-validation:

cvError the MSE for each tuning parameter

cvSE the SE for the MSE for each tuning parameter

lambdas tuning parameters

optimalGam matrix of (optimized) parameters, rows correspond to tuning parameters, columns correspond to optimized parameter

lambdaMin tuning parameter that gives the smallest MSE

lambda1SE 1 SE tuning parameter

indexMin the index corresponding to lambdaMin

index1SE the index corresponding to lambda1SE

See Also

Estimate spikes: [estimateSpikes](#), [print.estimatedSpikes](#), [plot.estimatedSpikes](#).

Cross validation: [cv.estimateSpikes](#), [print.cvSpike](#), [plot.cvSpike](#).

Simulation: [simulateAR1](#), [plot.simdata](#).

Examples

```
# Not run
# sim <- simulateAR1(n = 500, gam = 0.998, poisMean = 0.009, sd = 0.05, seed = 1)
# plot(sim)

# AR(1) model
# outAR1 <- cv.estimateSpikes(sim$f1, type = "ar1")
# plot(outAR1)
# print(outAR1)
# fit <- estimateSpikes(sim$f1, gam = outAR1$optimalGam[outAR1$index1SE, 1],
# lambda = outAR1$lambda1SE, type = "ar1")
# plot(fit)
# print(fit)

# AR(1) + intercept model
# outAR1Intercept <- cv.estimateSpikes(sim$f1, type = "intercept",
# lambda = seq(0.1, 5, length.out = 10))
# plot(outAR1Intercept)
# print(outAR1Intercept)
# fit <- estimateSpikes(sim$f1, gam = outAR1Intercept$optimalGam[outAR1Intercept$index1SE, 1],
# lambda = outAR1Intercept$lambda1SE, type = "intercept")
# plot(fit)
# print(fit)
```

estimateSpikes	<i>Estimate spike train, underlying calcium concentration, and change-points based on fluorescence trace.</i>
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Description

Estimate spike train, underlying calcium concentration, and changepoints based on fluorescence trace.

Usage

```
estimateSpikes(dat, gam, lambda, type = "ar1", calcFittedValues = TRUE,
  hardThreshold = FALSE)
```

Arguments

dat	fluorescence data
gam	a scalar value for the AR(1)/AR(1) + intercept decay parameter.
lambda	tuning parameter lambda
type	type of model, must be one of AR(1) 'ar1', AR(1) + intercept 'intercept'.
calcFittedValues	TRUE to calculate fitted values.
hardThreshold	boolean specifying whether the calcium concentration must be non-negative (in the AR-1 problem)

Details

This algorithm solves the optimization problems

AR(1)-model: minimize c_1, \dots, c_T $0.5 \sum_{t=1}^T (y_t - c_t)^2 + \lambda \sum_{t=2}^T 1_{c_t \neq \gamma c_{t-1}}$ for the global optimum, where y_t is the observed fluorescence at the t th timepoint. If `hardThreshold = T` then the additional constraint $c_t \geq 0$ is added to the optimization problem above.

AR(1) with intercept: minimize $c_1, \dots, c_T, b_1, \dots, b_T$ $0.5 \sum_{t=1}^T (y_t - c_t - b_t)^2 + \lambda \sum_{t=2}^T 1_{c_t \neq \gamma c_{t-1}, b_t \neq b_{t-1}}$ where the indicator variable $1_{(A,B)}$ equals 1 if the event $A \cup B$ holds, and equals zero otherwise.

See Jewell and Witten (2017) <arXiv:1703.08644>, section 2 and 5.

Note that "changePts" and "spikes" differ by one index due to a quirk of the conventions used in the changepoint literature and the definition of a spike.

Value

Returns a list with elements:

changePts the set of changepoints

spikes the set of spikes

fittedValues estimated calcium concentration

See Also

Estimate spikes: [estimateSpikes](#), [print.estimatedSpikes](#), [plot.estimatedSpikes](#).

Cross validation: [cv.estimateSpikes](#), [print.cvSpike](#), [plot.cvSpike](#).

Simulation: [simulateAR1](#), [plot.simdata](#).

Examples

```
sim <- simulateAR1(n = 500, gam = 0.998, poisMean = 0.009, sd = 0.05, seed = 1)
plot(sim)

# AR(1) model

fit <- estimateSpikes(sim$f1, gam = 0.998, lambda = 1, type = "ar1")
plot(fit)
print(fit)

# AR(1) + intercept model
fit <- estimateSpikes(sim$f1, gam = 0.998, lambda = 1, type = "intercept")
plot(fit)
print(fit)
```

LZeroSpikeInference *LZeroSpikeInference: LZeroSpikeInference: A package for estimating spike times from calcium imaging data using an L0 penalty*

Description

This package implements an algorithm for deconvolving calcium imaging data for a single neuron in order to estimate the times at which the neuron spikes.

Details

This package implements an algorithm for deconvolving calcium imaging data for a single neuron in order to estimate the times at which the neuron spikes. This algorithm solves the optimization problems

AR(1)-model: minimize c_1, \dots, c_T $0.5 \sum_{t=1}^T (y_t - c_t)^2 + \lambda \sum_{t=2}^T 1_{c_t \neq \gamma c_{t-1}}$ for the global optimum, where y_t is the observed fluorescence at the t th timepoint.

If `hardThreshold = T` then the additional constraint $c_t \geq 0$ is added to the optimization problem above.

AR(1) with intercept: minimize $c_1, \dots, c_T, b_1, \dots, b_T$ $0.5 \sum_{t=1}^T (y_t - c_t - b_t)^2 + \lambda \sum_{t=2}^T 1_{c_t \neq \gamma c_{t-1}, b_t \neq b_{t-1}}$ where the indicator variable $1_{(A,B)}$ equals 1 if the event A cup B holds, and equals zero otherwise.

See Jewell and Witten (2017) <arXiv:1703.08644>

See Also

Estimate spikes: [estimateSpikes](#), [print.estimatedSpikes](#), [plot.estimatedSpikes](#).

Cross validation: [cv.estimateSpikes](#), [print.cvSpike](#), [plot.cvSpike](#).

Simulation: [simulateAR1](#), [plot.simdata](#).

Examples

```
# To reproduce Figure 1 of Jewell and Witten (2017) <arXiv:1703.08644>

sampleData <- simulateAR1(n = 500, gam = 0.998, poisMean = 0.009, sd = 0.15, seed = 8)
fit <- estimateSpikes(sampleData$f1, gam = 0.998, lambda = 8, type = "ar1")
plot(fit)
```

plot.cvSpike *Plot mean squared error vs. tuning parameter from the cross-validation output*

Description

Plot mean squared error vs. tuning parameter from the cross-validation output

Usage

```
## S3 method for class 'cvSpike'
plot(x, ...)
```

Arguments

x output from cross validation procedure
 ... arguments to be passed to methods

plot.estimatedSpikes *Plot the solution to an L0 segmentation problem*

Description

Plot the solution to an L0 segmentation problem

Usage

```
## S3 method for class 'estimatedSpikes'
plot(x, xlims = NULL, ...)
```

Arguments

x output from running estimateSpikes
 xlims optional parameter to specify the x-axis limits
 ... arguments to be passed to methods

See Also

Estimate spikes: [estimateSpikes](#), [print.estimatedSpikes](#), [plot.estimatedSpikes](#).

Cross validation: [cv.estimateSpikes](#), [print.cvSpike](#), [plot.cvSpike](#).

Simulation: [simulateAR1](#), [plot.simdata](#).

plot.simdata	<i>Plot simulated data</i>
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Description

Plot simulated data

Usage

```
## S3 method for class 'simdata'
plot(x, xlims = NULL, ...)
```

Arguments

x output data from simulateAR1
 xlims optional parameter to specify the x-axis limits
 ... arguments to be passed to methods

Value

Plot with simulated fluorescence (dark grey circles), calcium concentration (dark green line) and spikes (dark green tick marks on x-axis)

See Also

Estimate spikes: [estimateSpikes](#), [print.estimatedSpikes](#), [plot.estimatedSpikes](#).

Cross validation: [cv.estimateSpikes](#), [print.cvSpike](#), [plot.cvSpike](#).

Simulation: [simulateAR1](#), [plot.simdata](#).

Examples

```
sim <- simulateAR1(n = 500, gam = 0.998, poisMean = 0.009, sd = 0.05, seed = 1)
plot(sim)
```

`print.cvSpike` *Print CV results*

Description

Print CV results

Usage

```
## S3 method for class 'cvSpike'  
print(x, ...)
```

Arguments

<code>x</code>	output from CV
<code>...</code>	arguments to be passed to methods

`print.estimatedSpikes` *Print estimated spikes*

Description

Print estimated spikes

Usage

```
## S3 method for class 'estimatedSpikes'  
print(x, ...)
```

Arguments

<code>x</code>	estimated spikes
<code>...</code>	arguments to be passed to methods

print.simdata	<i>Print simulated data</i>
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Description

Print simulated data

Usage

```
## S3 method for class 'simdata'
print(x, ...)
```

Arguments

x	simulated data
...	arguments to be passed to methods

simulateAR1	<i>Simulate fluorescence trace based on simple AR(1) generative model</i>
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Description

Simulate fluorescence trace based on simple AR(1) generative model

Usage

```
simulateAR1(n, gam, poisMean, sd, seed)
```

Arguments

n	number of timesteps
gam	AR(1) decay rate
poisMean	mean for Poisson distributed spikes
sd	standard deviation
seed	random seed

Details

Simulate fluorescence trace based on simple AR(1) generative model

$$y_t = c_t + \text{eps}, \text{eps} \sim N(0, \text{sd})$$

$$c_t = \text{gam} * c_{t-1} + s_t$$

$$s_t \sim \text{Pois}(\text{poisMean})$$

Value

spikes, fluorescence, and calcium concentration

See Also

Estimate spikes: [estimateSpikes](#), [print.estimatedSpikes](#), [plot.estimatedSpikes](#).

Cross validation: [cv.estimateSpikes](#), [print.cvSpike](#), [plot.cvSpike](#).

Simulation: [simulateAR1](#), [plot.simdata](#).

Examples

```
sim <- simulateAR1(n = 500, gam = 0.998, poisMean = 0.009, sd = 0.05, seed = 1)
plot(sim)
```

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